

A VLASOV CODE SIMULATION OF ION ACCELERATION AND PLASMA JETS DRIVEN BY A HIGH INTENSITY LASER BEAM

M. Shoucri¹, J.-P. Matte², F. Vidal²

1-Institut de recherche d'Hydro-Québec (IREQ), Varennes, Québec, Canada J3X1S1

2-INRS Energie et Matériaux, Université du Québec, Varennes, Québec, Canada J3X1S2

Recent experimental results [1,2] have shown the advantage of thin targets for collimated ion acceleration with normally incident high intensity circularly polarized laser beams. We study this problem with an Eulerian Vlasov code [3,4,5] which solves the one-dimensional (1D) relativistic Vlasov-Maxwell equations for both electrons and ions, when the laser beam is normally incident on an overdense deuterium plasma. The laser wavelength λ is greater than the scale length of the jump in plasma density at the plasma surface L_{edge} ($\lambda \gg L_{edge}$). The plasma density in the flat top plasma slab is $n = 25n_c$, where n_c is the critical density. The normalized amplitude of the vector potential is $a_0 = 25/\sqrt{2}$, where $2a_0^2 = I\lambda^2 / 1.368 \times 10^{18}$, I is the intensity in W/cm^2 and λ is in microns. The laser pulse is Gaussian and only about 10 cycles long. We consider the case of a thin target, where the thickness of the uniform flat-top plasma slab is about $\approx 4.2c/\omega_p$ (c/ω_p is the skin depth). The relevant equations are the relativistic 1D Vlasov-Maxwell set of equations previously presented in [3,4,5].

Results

The forward propagating circularly polarized laser wave penetrates the plasma at $x=0$, with field values $E^+ = 2E_0 P_r(t) \cos \tau$, $F^- = -2E_0 P_r(t) \sin \tau$, where $\tau = t - 1.5t_p$. The transverse electromagnetic fields are $E^\pm = E_y \pm B_z$ and $F^\pm = E_z \pm B_y$ for the circularly polarized wave. Time and length are normalized to ω^{-1} and c/ω respectively. The temporal shape factor is $P_r(t) = \exp(-2\ln(2)(\tau/t_p)^2)$, where $t_p = 24$ is the pulse duration at full-width at half-maximum of the beam intensity. The Gaussian pulse reaches its peak at $t = 1.5t_p = 36$. In our units $E_0 = a_0$. We have $\omega_p = 5\omega$, which corresponds to $n = 25n_c$. The initial temperature for the electrons and for the ions are $T_e = 1$ keV and $T_i = 0.1$ keV. The total length of the simulation domain is $L = 20c/\omega$. We use $N = 10000$ grid points in space ($\Delta x = \Delta t = 0.002$), and in momentum space 1600 grid points for the electrons and 13000 for the ions (extrema of the

electron momentum are ± 6 , and for the ion momentum ± 650). Momentum is normalized to $M_e c$. We have a vacuum region of length $L_{vac} = 9.28c / \omega$ on both sides of the plasma slab. The jump in density at the plasma edge on each side of the slab is of length $L_{edge} = 0.3c / \omega$, and the top flat density normalized to 1 is of length $L_p = 0.84c / \omega$, or $4.2c / \omega_p$. In our normalized units $\omega = k = 1$. The incident wavelength is $\lambda = 2\pi$, *i.e.* $\lambda \gg L_{edge}$.

Figs.(1) show the plot of the density profiles (full curves for the electrons, dashed curves for the ions and dashed-dotted curves for the longitudinal electric field, which is divided by a factor of 5 to be plotted on the same graphic). The incident laser wave is pushing the plasma edge, which is acquiring a steep density profile under the ponderomotive pressure of the wave, with electrons accumulating at the target surface. This results in a charge separation and a longitudinal electric field at the edge (Fig.(1) at $t=42$). This electric field accelerates the ions. For the thin target considered, the electron phase-space in Fig.(2) shows at $t=42$ an electron population ejected from the back of the target (similar to the leaky light sail radiation pressure acceleration regime[6]). This leak from the back of the target is also observed in Fig.(1) at $t=42$, where we see the electron density and an electric field appearing in the back of the target. The incident laser beam intensity peaks at $t=36$ at the left boundary $x=0$, and this peak travels a distance $L_{vac} = 9.28c / \omega$ to reach the plasma edge at about $t=45.29$. In Figs.(1), a very rapid acceleration of the ions at the edge takes place between $t=44$ and 47 , forming a solitary-like structure. The electrons phase-space in Fig.(2) shows the electrons spiralling around the central peak. This results in small sawteeth-like structures around the central peak in the density plot in Figs.(1) at $t=47, 53$. A fraction of the incident laser wave E^+ and F^- penetrates through the target and travels to the right in the forward direction, while another fraction is reflected at the target surface (see Figs.(4) at $t=42$). Figs.(1) at $t=53$ to 86 show the evolution of the profiles during the decay of the incident laser pulse, when the radiation pressure on the target surface is reduced. At $t=68$ part of the electron population is caught by the ions in the solitary structure, forming a neutral bump free streaming to the right, and the excedent electron population is detaching and moving backwards to the left. This detached population is also observed in the phase-space plots of Fig.(2) at $t=66, 76$ and 86 . (This mechanism is different from what we observe in Fig.(7) of [3] when the thickness of the plasma slab is increased to $\approx 5.54c / \omega_p$ for the same density, where we observed the formation of a double layer structure). The evolution of the ions phase-space, showing different phases of the ion acceleration, is presented in Fig.(3). At $t=86$, the peak is reaching a momentum

$M_i v / M_e c \approx 525$. This corresponds to a velocity for the deuterium ions of $v/c \approx 525/(2 \times 1836) = 0.143$. The same value can be calculated following the edge of the shock-like structure of the neutral plasma expanding to the right in Fig.(1) at $t=72-86$. The energy is $M_i v^2 / 2 = M_i c^2 (v/c)^2 / 2 = 938 \times 0.02 = 19.173 \text{ MeV}$. We note that for the case $n=100n_c$ reported in [5], we had a maximum $M_i v / M_e c \approx 260$. This is a decrease by a factor of 2 with respect to the present results, corresponding to an increase by a factor of 4 in the density.

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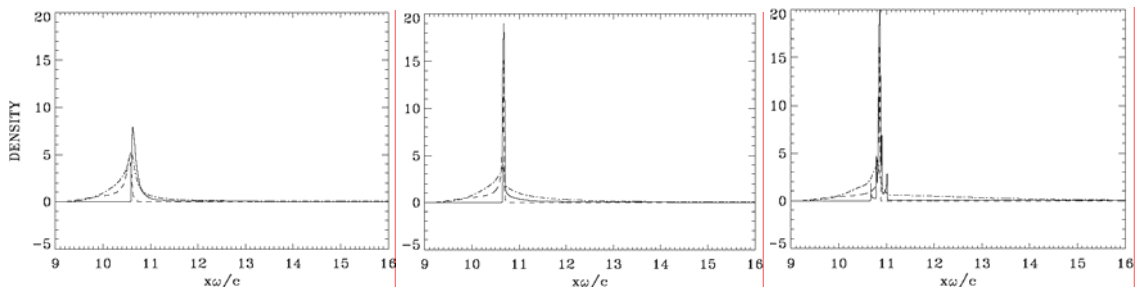
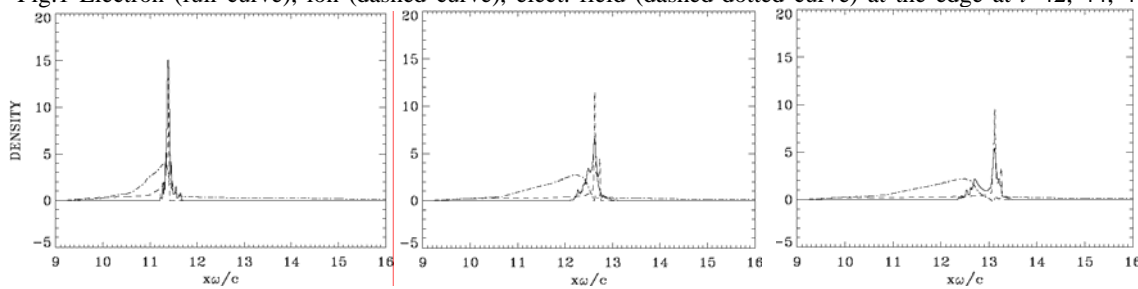
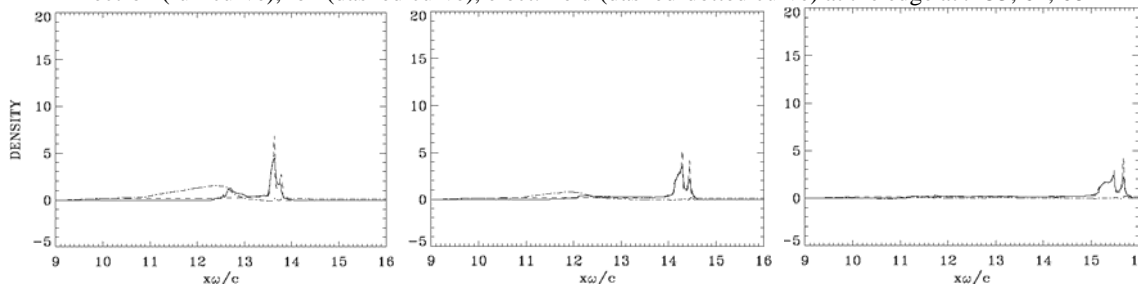
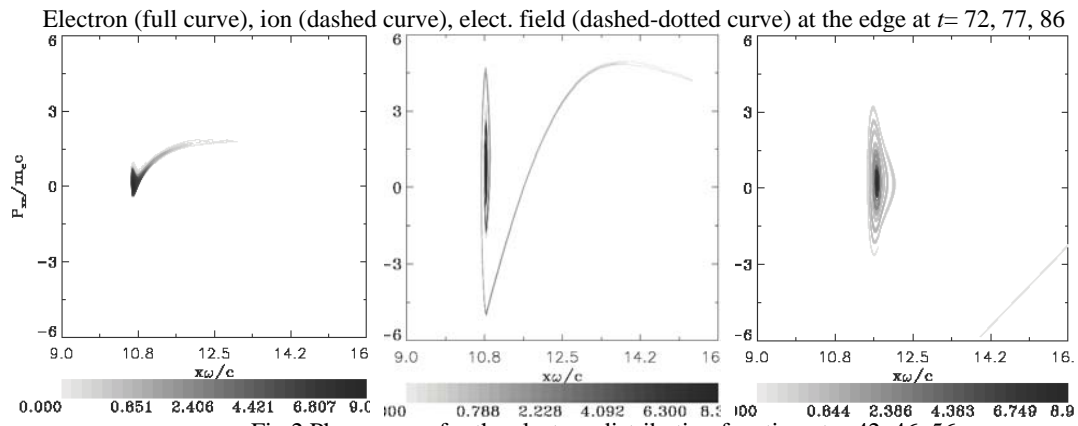
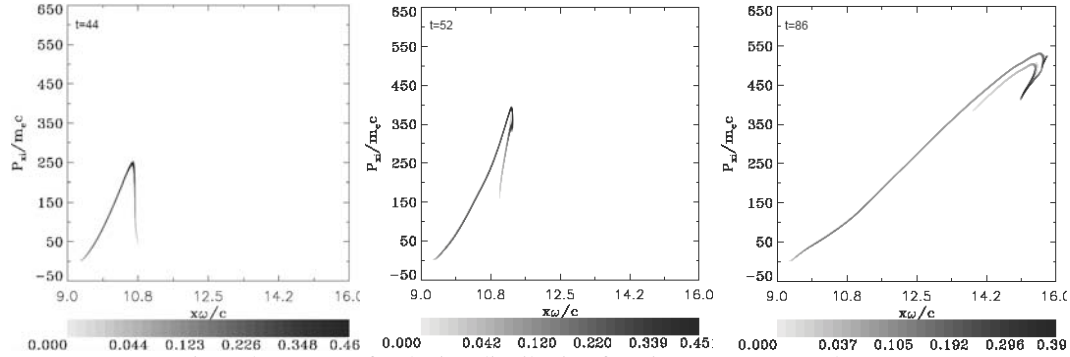
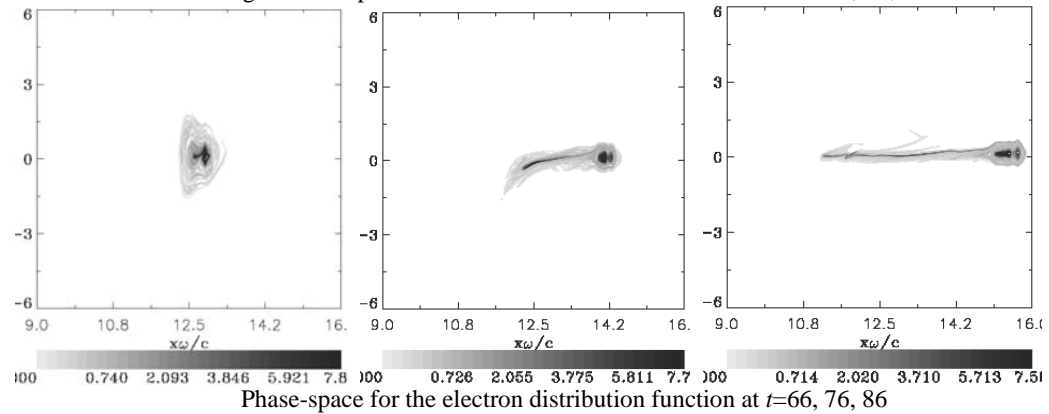
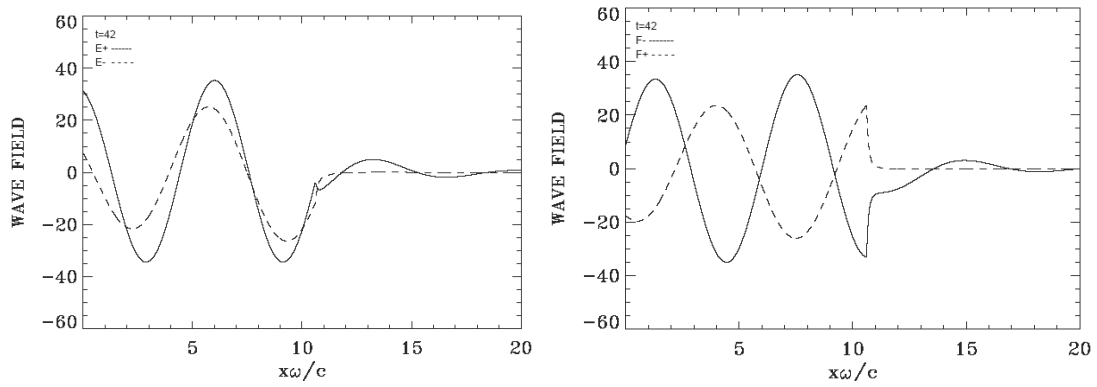


Fig.1 Electron (full curve), ion (dashed curve), elect. field (dashed-dotted curve) at the edge at $t=42, 44, 47$



Electron (full curve), ion (dashed curve), elect. field (dashed-dotted curve) at the edge at $t=53, 54, 56$



Fig.2 Phase-space for the electron distribution function at $t=42, 46, 56$ Fig.3 Phase-space for the ion distribution function at $t=44, 52$ and 86 Fig.4 Right panel: Incident E^+ (full curve) and reflected E^- (dashed curve) waves at $t=42$ Left panel: Incident F^- (full curve) and reflected F^+ (dashed curve) waves at $t=42$