

## Kinetic Electromagnetic Instabilities in an ITB Plasma with Weak Magnetic Shear

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The shear Alfvén-acoustic continuum structure will be modified by diamagnetic drift effects while density and temperature gradients are large, so that there is a transition from the BAE (beta-induced Alfvén eigenmode) branch to the pure pressure-gradient driven and small-scale kinetic ballooning branch. Furthermore, finite  $\nabla T_i$ -effects give rise to another potentially unstable branch, namely, the AITG mode which, in absence of EPs, can become unstable while the ion compression effects couple to SAWs and  $\Omega_{*ip} \sim \sqrt{7/4 + \tau}q$  is fulfilled, where  $\Omega_{*ip} = \omega_{*ip}/\omega_{ti}$  is the ratio of ion-diamagnetic-drift and thermal-ion-transit frequencies and  $\tau = T_e/T_i$  is the ratio of electron and ion temperatures. It can be understood as a branch connecting KBM (diamagnetic effects be dominant,  $\Omega_{*ip} \gg \sqrt{7/4 + \tau}q$ ) and BAE (ion compression effects be dominant,  $\Omega_{*ip} \ll \sqrt{7/4 + \tau}q$ )[1, 2, 3]. Simulation results from GYRO code present that the AITG/KBM modes are unstable at very low beta, and the closer to the core with  $s \sim 0$  the more unstable they become[4]. Recently, the results from LIGKA code suggest that the effect of increasing  $T_i$  is found to depend on the proximity to a rational surface. Near rational surfaces, a strongly destabilizing effect is observed due to the increased ITG drive. The destabilized instabilities are classified as the local limits of KBM/AITGs in the low-frequency domain ( $\omega \sim \omega_{*ip}$ ), and KBAE/AITG modes in the high-frequency domain ( $\omega_{BAE} < \omega < \omega_{TAE}$ )[5]. The quantitative analysis had been done using local theories (GFLDR and KBM equation) in the latter sections. Further a more complete stability analysis will require a kinetic global simulation, however it is very difficult at present.

These instabilities (i.e., following HFCMs) can be observed by core soft X-ray and microwave interferences in the NBI plasmas, occasionally measured by Mirnov coils, and this phenomenon is perfectly reproducible. Figure 1 shows a typical experimental result. After the NBI is switched on, with core- $T_i$  increasing, many high-frequency coherent modes (HFCMs) are visible around  $f = 80 - 200$  kHz in the spectrogram of core microwave interferometer signal with chordal distance  $r_d = 5$  cm at  $t = 610 - 800$  ms, however they are almost invis-

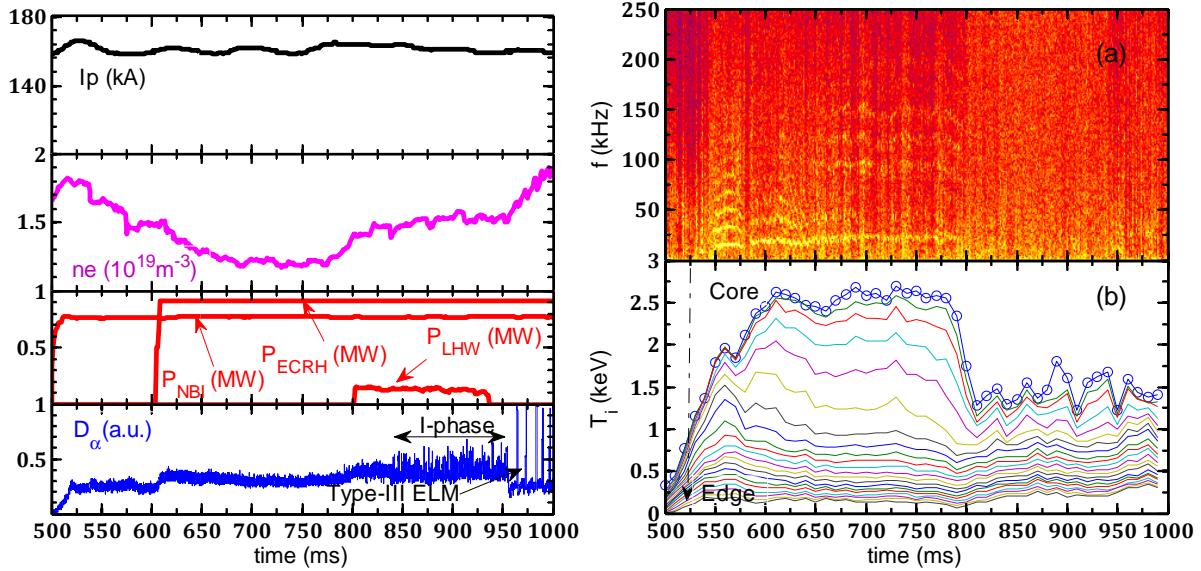


Figure 1: A typical discharge with high-frequency ( $f=80-200$  kHz) coherent modes (HFCMs). Left col.: plasma current ( $I_p$ ), line-averaged electron density ( $ne$ ), heating powers ( $P_{NBI}$ ,  $P_{ECRH}$  and  $P_{LHW}$ ),  $D$ -alpha ( $D_\alpha$ ) in the divertor; Right col.: spectrogram of core microwave interferometer signal with chordal distance  $r_d = 5$  cm (a), and time traces of ion temperatures ( $T_i$ ) (b). The circle marker denotes the acquisition time point of the CXRS.

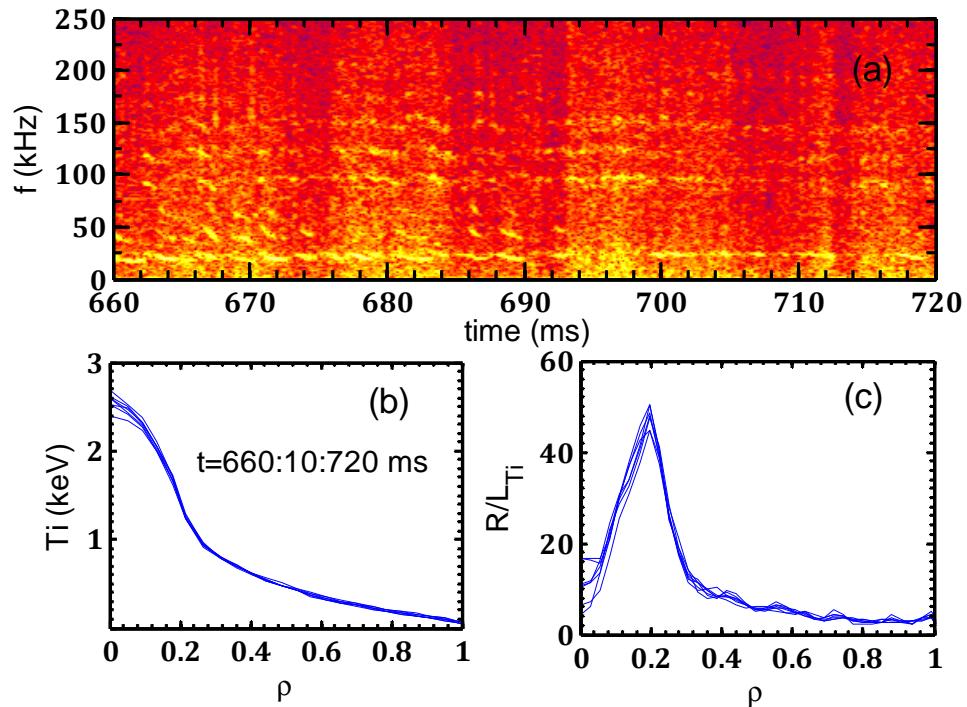


Figure 2: Spectrogram corresponding to Fig.1(a) at different times ( $t=660-720$  ms, interval time: 10 ms) (a),  $T_i$  profiles (b) and  $R/L_{T_i}$  profiles (c) during the observation of HFCMs.

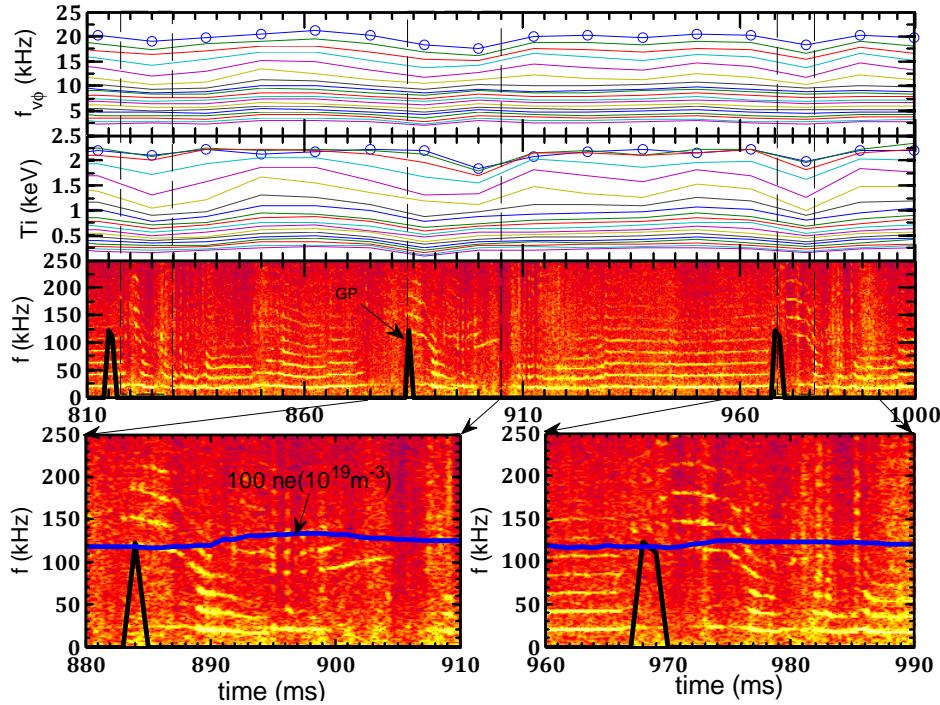


Figure 3: Effect of gas-puffing (GP) on the stability of HFCMs. Time traces of toroidal rotation frequency ( $f_{v\phi}$ ) and ion temperature ( $T_i$ ), and spectrogram of core microwave interferometer signal.

ble in spectrograms with  $r_d \geq 11$  cm, it indicates that the HFCMs localize in the plasma core. While the LHW is injected at  $t = 800$  ms, the plasma enters into I-phase and Type-III ELMs H-mode and HFCMs disappear with the core- $T_i$  decreasing and  $n_e$ -increasing. Figure 2 shows that there exist strong and steady internal transport barriers (ITBs) at  $T_i$ -profiles during the observation of HFCMs, and the normalized length scales of  $T_i$ -gradients are very large, i.e.,  $R/L_{T_i} > 40$ . Therefore, it implies that the stability of HFCMs is relevant to the ITBs and the strong  $T_i$ -gradients have important effects on the HFCMs, potentially. Figures shows that there are also fishbone/long-live modes(LLMs)[6] with the fundamental frequency  $f \sim 25$  kHz except HFCMs in the plasma core.

Figure 3 gives an experimental result associated with the effect of gas-puffing (GP) on the stability of HFCMs. It is found that the core  $T_i$  and toroidal rotation frequency  $f_{v\phi}$  drop slightly after the GP is injected, and the density increases weakly, meanwhile the HFCMs are driven and multi-harmonics LLMs with  $n \geq 2$  are suppressed obviously, but the LLM with  $n=1$  still exists. This phenomenon suggests further that the pressure and safety-factor profiles maybe affect the stability of HFCMs.

The strong HFCMs can be detected by magnetic probes and reveal electromagnetic charac-

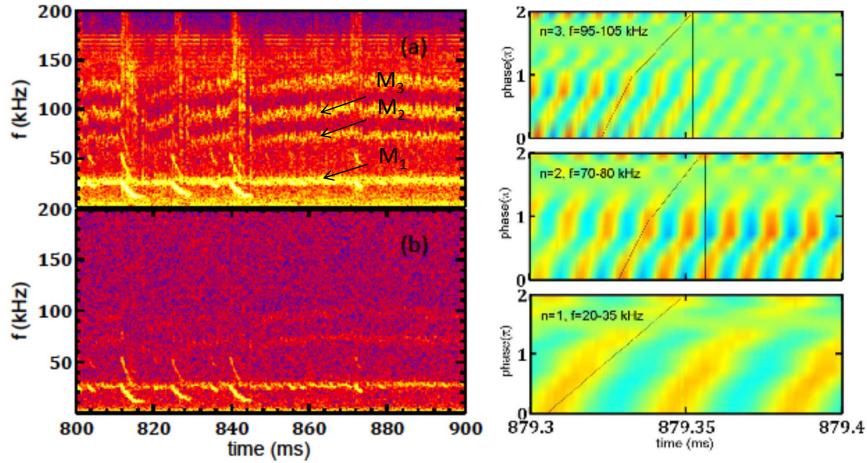


Figure 4: Spectrograms of Mirnov (a) and core soft x-ray (b) signals (left col.) and toroidal mode-numbers (right col.) for three different frequency coherent modes.

ters, so that the toroidal mode-number ( $n$ ) can be determined and are shown in Figure 4. At  $t \sim 879$  ms, they are  $n = 1$ ,  $n = 2$  and  $n = 3$ , respectively, for LLM (M1) with  $f_{1c} = 27$  kHz and two HFCMs (M2 and M3) with  $f_{2c} = 75$  and  $f_{3c} = 102$  kHz, and these mode propagate in the direction of ion diamagnetic drift. Obviously, the match condition of mode-mode couplings satisfies, i.e.,  $n_3 = n_1 + n_2$  and  $f_{3c} = f_{1c} + f_{2c}$ . Based on this condition, we can deduce toroidal mode numbers of the observed HFCMs, i.e.,  $n=2-8$ . Further, the Lissajous curves suggest the phases of M2-M1 ( $f_{2c} : f_{1c} \simeq 5 : 2$ ) and M3-M2 ( $f_{3c} : f_{2c} \simeq 4 : 3$ ) are both locked at  $\theta \sim 0.75\pi$ .

We report an experimental observation of AITG instabilities in HL-2A ITB plasmas with weak magnetic shears. A group of HFCMs with  $f = 80 - 200$  kHz and  $n = 2 - 8$  is consistently measured by multiple diagnostics, and are identified with AITG activities. All of experimental and analyzed contents can be found in a recent paper[7].

## References

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